

# Social Insurance and the Role of Private Insurance

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(*very preliminary*)

- **Questions:**

- What are the effects of *means-tested* social insurance on welfare and saving?
  - Social insurance: Medicaid, SSI, food stamps, etc. (83 programs in total)
  - In the form of a minimum consumption floor.
- What role does private insurance play for understanding the questions above?
  - E.g. are the welfare gains from social insurance reduced when private insurance options are explicitly modeled?

- The size of US (means-tested) social insurance is *large*.
  - Total expenditures are \$583.315 billions (i.e. 5.0 % of GDP), in 2004.
  - It will expand further due to the recent policy reform (Obamacare).
- *Conventional wisdom*: social insurance can improve welfare *because*
  - it provides insurance to the poor against negative shocks, such as income and health expense shocks.
- *However*, recent studies found that social insurance has large crowding-out effects on private insurance. E.g.:
  - Brown and Finkelstein (2007): crowding out the demand for private health insurance.
  - Hubbard, Skinner and Zeldes (1995): reducing precautionary saving.
- These findings imply that the welfare benefits of social insurance may be overstated.

- Develop an OLG, GE model with endogenous private health insurance choices.
  - A GE version of the Hubbard, Skinner, and Zeldes model (1995), with endogenous private health insurance choices.
  - private health insurance features asymmetric information and adverse selection.
- Quantify the welfare and saving effects of social insurance in the calibrated model
- Evaluate the role of private health insurance.
  - Replicate the exercises above in models with different private insurance market structures.  
(E.g. shut down the the private market)

# Preview of Main Results

- Means-tested social insurance has large crowding-out effects on the demand for private health insurance and saving.
- Social insurance is still welfare-improving after taking into account of these crowding-out effects. In the benchmark model, the welfare gain is 9.8% of consumption.
- The welfare gain from social insurance is 15.2% if private health insurance market is shut down.

- A multi-period ( $T$  periods) OLG, GE model with
  - means-tested social insurance: consumption floor ( $\underline{c}$ ) financed by a payroll tax ( $\tau_w$ ).
  - exogenous health expenses ( $m$ ).
  - endogenous private health insurance choices.
- Other key elements
  - exogenous labor supply and retirement,
  - idiosyncratic income shock ( $\epsilon$ ),
  - pay-as-you-go Social Security: payments ( $SS()$ ) financed by a payroll tax ( $\tau_{ss}$ ).
  - Medicare and employment-based health insurance.

# The Individual's Problem

- **Before retirement** (age  $j < R$ ): (no mortality risk ( $P = 1$ ))

$$V(j, a, m, h_e, h, \epsilon, \bar{\epsilon}) = \max_{c, h'} u(c) + \beta E[V(j+1, a', m', h'_e, h', \epsilon', \bar{\epsilon}')] ]$$

subject to

$$\begin{aligned} s + c + (1 - I_{h_e > 0} \kappa_e) m(1 - h) + p_j(h_e) h' &= (w\epsilon - pr(h_e))(1 - \tau) \\ &\quad + a + Tr, \\ a' = s(1 + r), m' = \Gamma_m(m), \epsilon' = \Gamma_\epsilon(\epsilon), \bar{\epsilon}' = \Gamma_{\bar{\epsilon}}(\bar{\epsilon}), h'_e &= h_e \end{aligned}$$

- **After retirement** (age  $j \geq R$ ): (no earnings ( $\epsilon = 0$ ))

$$V(j, a, m, h_e, h, \bar{\epsilon}) = \max_{c, h'} u(c) + \beta P_j E[V(j+1, a', m', h'_e, h', \bar{\epsilon}')] ]$$

subject to

$$\begin{aligned} s + c + (1 - I_{h_e > 1} \kappa_e - \kappa_m) m(1 - h) + p_j(h_e) h' &= SS(\bar{\epsilon}) + a + Tr \\ a' = s(1 + r), m' = \Gamma_m(m), \bar{\epsilon}' = \bar{\epsilon}, h'_e &= h_e \end{aligned}$$

$I_{h_e}$  are the indicator functions,  $h \in (0, 1)$ ,  $h_e \in (0, 1, 2)$ ,  $\tau = \tau_w - \tau_{ss} - \tau_{mc}$

- **Welfare transfers:  $Tr$**

- before retirement:

$$Tr = \max\{0, \underline{c} + (1 - I_{h_e > 0} \kappa_e) m(1 - h) - a - (w\epsilon - pr(h_e))(1 - \tau)\},$$

- after retirement:

$$Tr = \max\{0, \underline{c} + (1 - I_{h_e > 1} \kappa_e - \kappa_m) m(1 - h) - a - SS(\bar{\epsilon})\},$$

- $\underline{c}$ : consumption floor.
- financed by payroll tax  $\tau_w$ .

- **Private health insurance market**

- One-period health insurance policy: pays for the health expenses that are not covered by Employment-based HI and Medicare.
- The price of health insurance,  $p_j(h_e)$ , only conditions on age  $j$  and employment-based health insurance  $h_e$ .
- Provided by a competitive insurance firm. That is,  $p_j(h_e)$  is equal to the present value of the average health expenses (not covered by EHI and Medicare) of all policyholders at age  $j$ , with  $h_e$



- **Idiosyncratic income shock**

$$\ln \epsilon = \epsilon_a + y + \mu,$$

- $\epsilon_a$ : the deterministic age component.
- $\mu$ : the i.i.d. shock,  $N(0, \sigma_\mu^2)$ .
- $y$ : the persistent shock following an AR(1) process,

$$y' = \rho y + \nu',$$

- $\nu$ : the white-noise innovation,  $N(0, \sigma_\nu^2)$ .

- **Health expense shock ( $m$ ):** follow De Nardi et al. (2010).

$$\ln m = a_m + y_m + \mu_m,$$

- $a_m$ : the deterministic age component.
- $\mu_m$ : the i.i.d. shock,  $N(0, \sigma_{\mu m}^2)$ .
- $y_m$ : the persistent shock following an AR(1) process,

$$y_m' = \rho_m y_m + \nu_m',$$

- $\nu_m$ : the white-noise innovation,  $N(0, \sigma_{\nu m}^2)$ .

# Borrowing Constraint, Accidental Bequests, and SS

- **Medicare**

- covers a  $\kappa_m$  fraction of health expenses for the elderly.
- financed by payroll tax  $\tau_{mc}$ .

- **Employment-based HI**

- $h_e = 1$ : covers a fraction  $\kappa_e$  of health expenses until retirement, financed by  $pr(1)$ .
- $h_e = 2$ : covers a fraction  $\kappa_e$  of health expenses until retirement, a fraction  $\kappa_e^o$  after retirement, financed by  $pr(2)$ .

- **Pay-as-you-go Social Security**

- SS payment to the elderly:  $SS()$
- financed by payroll tax  $\tau_{ss}$ .

- **Borrowing Constraints:**  $s \geq 0$

- **Accidental Bequests:** collected by the government, and redistributed back equally to the new-born.

# The Representative Firm

- **The firm's profit maximization problem:**

$$\max_{L,K} Y - wL - (r + \delta)K,$$

with

$$Y = K^\alpha (T_L L)^{1-\alpha}.$$

- $K$ : capital;  $L$ : labor;  $Y$ : output;  $\delta$ : capital depreciation rate.
  - $T_L$ : labor-augmented technology.
- 
- **Firm's FOCs imply,**

$$w = (1 - \alpha)A \left( \frac{K}{T_L L} \right)^\alpha$$

$$r = \alpha \left( \frac{K}{T_L L} \right)^{\alpha-1} - \delta$$

# Stationary Equilibrium (steady state) (sketch)

**Definition:** A stationary equilibrium for a given set of government parameters  $\{\tau_w, \tau_{mc}, \tau_{ss}, \underline{c}, \tau_{mc}, SS(\cdot)\}$ , is a collection of value functions  $V(\cdot)$ , individual policy rules, distribution function  $\Phi(\cdot)$ , employment-based health insurance policies  $\{pr(\cdot), \kappa_e, \kappa_e^o\}$ , prices  $(r, w, \{p_j(\cdot)\}_R^{T-1})$ , such that,

- 1 given  $(r, w, \{p_j(\cdot)\}_R^{T-1}, \tau_w, \tau_{mc}, \tau_{ss}, \underline{c}, SS(\cdot))$ , the individual solves the utility-maximizing problem.
- 2 given prices  $\{r, w\}$ , the firm solves its profit-maximizing problem.
- 3 labor and capital markets clear.
- 4 Social insurance, Medicare, and Social Security are self-financing.
- 5 the distribution,  $\Phi$ , evolves over time according to equation ( $\cdot$ ), and satisfies the stationary equilibrium condition:  $\Phi' = \Phi$ .

# The Quantitative Strategy

- Calibrate the benchmark model to match the US data in 2004 along some key dimensions.
- Evaluate the welfare and saving effects of social insurance.
  - reduce the consumption floor  $\underline{c}$  to 10% of its current level,  $0.1\underline{c}$ .
  - steady states comparison.
- Welfare measure: compensating variation in consumption required to give the same expected lifetime utility to a new born.

# Preliminary Calibration

- One period: 1 year. Born at age 21, retire at 65, and die at 85. ( $R = 45$  and  $T = 65$ )
- The **social insurance** program.
  - consumption floor  $\underline{c}$ : 20% of average earnings. (Kopecky and Koreshkova (2011))
  - the payroll tax  $\tau_w$ : endogenously determined by the SI budget constraint.
- **Idiosyncratic income shock**
  - use the estimates from the heterogenous-agent macro literature
  - persistent shock:  $\rho = 0.99$ ,  $\sigma_v^2 = 0.007$ .
  - transitory shock: assume away for now (to reduce the computational burden)
  - deterministic age components: census data on earnings by age.
- **Health expense shock**
  - use the estimates from De Nardi, French, and Jones (2010) for persistent shock  $y$  and transitory shock  $\mu_m$
  - deterministic age components: match the life-cycle profile of health expenses in the data. (Meara et al. (2004))

## ● Pay-as-you-go Social Security

- $\tau_{ss}$  is set to 10%
- Social Security benefits  $SS()$ : benefits-defined. (follow Fuster et al. (2007))
- rescale the benefits to satisfy the SS budget constraint.

## ● Medicare and Employment-based HI

- Follow Attanasio, Kitao, and Violante (2008)
- $\kappa_e = 0.7$ ,  $\kappa_e^o = 0.3$ .  $\kappa_m = 0.5$  and  $\tau_{mc}$  is endogenously determined.
- 30 % no EHI before retirement, 30% still have EHI after retirement.
- The utility function is CRRA,  $\frac{c^{1-\sigma}}{1-\sigma}$  with  $\sigma = 3.0$
- Survival probabilities match the data in 2004.
- Other parameters: discount factor  $\beta = 0.98$ , depreciation rate  $\delta = 0.07$ .

- Interest rate: 2.3%. Aggregate medical expenses: 14% of GDP.
- Private health insurance market:
  - Only 13% of the population purchase private health insurance.
  - Participation rate increases by income.

Earning Shock	1	2	3	4
Participation rate	4%	13%	16%	17%

- Market participation rate increases with medical expenses (most policy holders are those with the highest persistent medical shock)



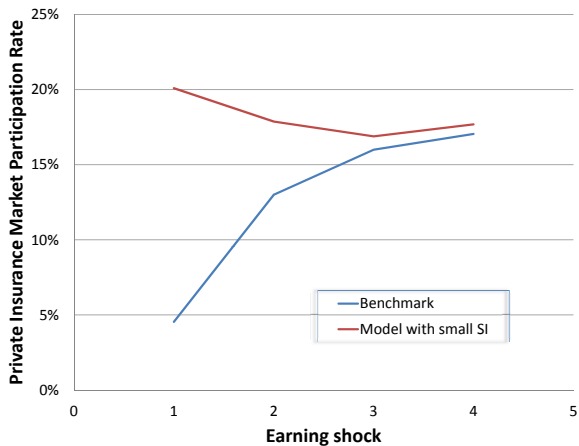
# The welfare effects of SI in the benchmark model

- The benchmark model has a very small private health insurance market
  - due to adverse selection and the presence of SI.
- When the consumption floor is reduced to  $0.1c$ .

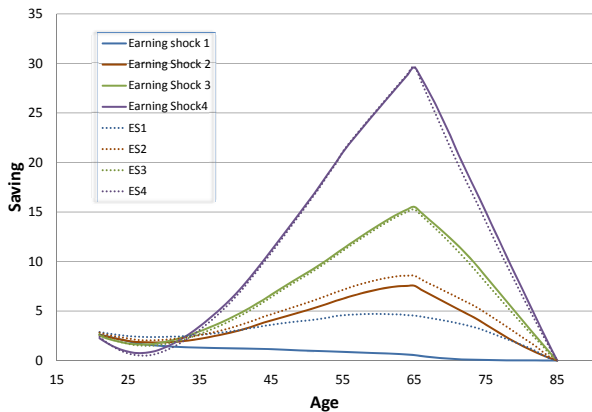
	Benchmark	Model(with $0.1c$ )
Private HI market Participation rate	13%	19%
Expected lifetime utility	-27.6	-33.4
Aggregate Capital	6.2	6.7 (9% $\uparrow$ )
Welfare Gain	..	+9.8%

- Most of the welfare gain is from those with the lowest income. Small welfare loss for those above average.

# Effects of SI on private HI



# Effects of SI on saving



# The role of private health insurance

- Shut down the private health insurance market in the benchmark, and replicate the exercise ( $\underline{c} \Rightarrow 0.1\underline{c}$ ).

	Benchmark	Model(with $0.1\underline{c}$ )
Private HI market Participation rate	..	..
Aggregate Capital	6.2	7.4 (19% $\uparrow$ )
Welfare Gain	..	15.2%

- Private insurance plays an important role for understanding the welfare effects of means-tested social insurance.
- The welfare gain of SI is much smaller when private health insurance options are modeled (9.8% vs. 15.2%).
- Future work
  - The negative effect on labor supply (to be added)
  - Policy experiments, e.g. evaluating some elements of the Obamacare reform.

# The Details of US SSN

- US Social Safety Nets consist of
  - 83 programs in total
- Major programs:
  - Medicaid
  - Supplemental Security Income (SSI)
  - Earned Income Tax Credit (EITC)
  - Food stamps
  - Subsidized housing
  - Temporary Assistance to Needy Families (TANF)
  - Child care
  - Head start
  - Jobs and training